

## Implementation of High Speed Area Efficient Multiplier using 7:3 Compressors

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### ABSTRACT

Our project, "Optimized Wallace Tree Multiplier Using High-Order Compressors," focuses on enhancing the performance of multipliers in digital systems and signal processing applications. Adders and multipliers play a major role in designing complex circuits, but traditional multipliers consume significant area, delay, and power. To improve multiplier efficiency, multiple architectures have been designed. In this project, a Wallace tree multiplier is proposed to enhance speed using compressors.

The key focus is on partial product reduction, which significantly impacts multiplier performance. Initially, 4:2 compressors are used for reduction. However, as the input bit length increases, complexity grows, making the multiplication process more time-consuming. To address this, multi-input compressors are used to further shorten partial products.

In the proposed design, a higher-order 7:3 compressor is incorporated to minimize delay, achieving better performance compared to previous multiplier architectures.

**Keywords:** Approximate computing, Compressors, Multiplier, Partial product reduction.

### I. INTRODUCTION

Modern computing applications, such as Digital Signal Processing (DSP), machine learning, and image processing, extensively use multipliers. These applications require a large number of arithmetic operations, making multiplication a key component in computationally intensive tasks like Fast Fourier Transform (FFT), Discrete Cosine Transform (DCT), and Convolutional Neural Networks (CNNs). However, exact multipliers consume significant power and area while increasing computational delay, which affects system performance and efficiency. To address this challenge, researchers have proposed Approximate Multipliers that trade accuracy for reduced power consumption, area, and delay, making them suitable for error-tolerant applications.

Recent advancements in arithmetic optimization have demonstrated that approximate computing techniques can significantly improve system performance. By relaxing the requirement for exact results, Approximate Multipliers achieve lower power dissipation and smaller circuit complexity while maintaining acceptable accuracy. Several architectures have been designed to optimize multiplication operations by reducing the number of logic gates and critical path delay. The primary techniques for designing approximate multipliers include truncation, bit-width reduction, and error-resilient arithmetic modifications.

Although Approximate Multipliers introduce small computational errors, they are widely used in DSP accelerators, neuromorphic computing, and real-time image processing applications where perfect accuracy is unnecessary. Researchers have developed various approximation strategies to balance accuracy and efficiency, including approximate Booth encoding and fused add-multiply (FAM) units. Recent studies have explored different approximation techniques to optimize performance for specific applications, focusing on minimizing error while maximizing energy efficiency.

High-speed computing applications by optimizing the multiplication process through reduced logic complexity and efficient arithmetic encoding schemes. We analyze different Approximate Multiplier designs and compare them with conventional multipliers regarding performance metrics such as power consumption, area occupation, and delay. The goal is to provide an efficient multiplier design suitable for error-resilient applications while achieving significant gains in computational efficiency.

### II. Related Work

Approximate multipliers have gained significant attention in modern computing due to their ability to trade accuracy for efficiency. Multiplication is a fundamental operation in digital systems, but conventional multipliers require substantial hardware resources, leading to high power consumption, increased circuit area, and longer computational delays. In applications like image processing, machine learning, and signal processing, where minor errors are tolerable, approximate computing provides a promising alternative. By allowing small

errors in calculations, approximate multipliers enhance energy efficiency and improve processing speed, making them suitable for low- power devices such as smartphones, embedded systems, and Internet-of-Things (IoT) applications.

The need for energy-efficient computing has grown due to the increasing use of battery- operated devices. Traditional multipliers consume significant power due to their complex arithmetic operations. Approximate computing provides an effective solution by relaxing accuracy constraints while improving performance. Many real-world applications, such as deep learning and multimedia processing, naturally tolerate minor computational errors. Approximate multipliers help reduce power consumption, minimize delay, and lower hardware complexity, making them an attractive choice for energy- efficient systems. Researchers have explored various approximation techniques to achieve a balance between accuracy and efficiency.

Several techniques have been proposed in literature to design approximate multipliers. Truncated multiplication is one of the most common approaches, where the least significant bits of the operands or intermediate results are discarded. While this introduces minor errors, it significantly reduces power consumption and hardware overhead. Another approach involves reducing bit-width, which lowers computational complexity and speeds up processing while sacrificing some accuracy. Approximate partial product generation is another widely used technique, where complex additions are simplified using logical operations such as AND gates instead of full adders. Some critical computations. These methods ensure that approximate multipliers remain highly efficient while maintaining acceptable accuracy levels.

### III. PROJECT DESCRIPTION

Multiplication is one of the most fundamental arithmetic operations in digital computing and plays a crucial role in various applications such as digital signal processing (DSP), machine learning, image processing, and cryptographic systems. Many computationally intensive tasks, including Fast Fourier Transform (FFT), Discrete Cosine Transform (DCT), and neural network computations, rely heavily on multipliers. However, traditional multiplier architectures suffer from several challenges, including high power consumption, increased delay due to long carry propagation, and large area occupation in hardware implementations such as FPGA and ASIC designs.

One of the major limitations of conventional multipliers, such as the array multiplier or the Wallace tree multiplier using 4:2 compressors, is the long carry chain, which increases the critical path delay (CPD). The ripple carry effect in addition stages further slows down the multiplication process, making it inefficient for high-speed applications. To address these issues, researchers have explored approximate computing and optimized compressor-based architectures that trade off minimal accuracy for significant gains in speed and power efficiency.

In this work, a high-speed, area-efficient multiplier is proposed using 7:3 compressors to improve the partial product reduction process. Unlike conventional designs that use 4:2 compressors, the 7:3 compressor reduces the number of addition stages, thereby minimizing power consumption and computational delay. Additionally, a Wallace tree structure is used for efficient partial product reduction, along with Carry- Save Adders (CSA) to further enhance performance. By optimizing the design with 6- input LUT configurations in modern FPGAs such as Xilinx Virtex-7 and Zynq series, the proposed multiplier achieves significant improvements in speed, power, and area utilization.

### IV. SIMULATION RESULTS

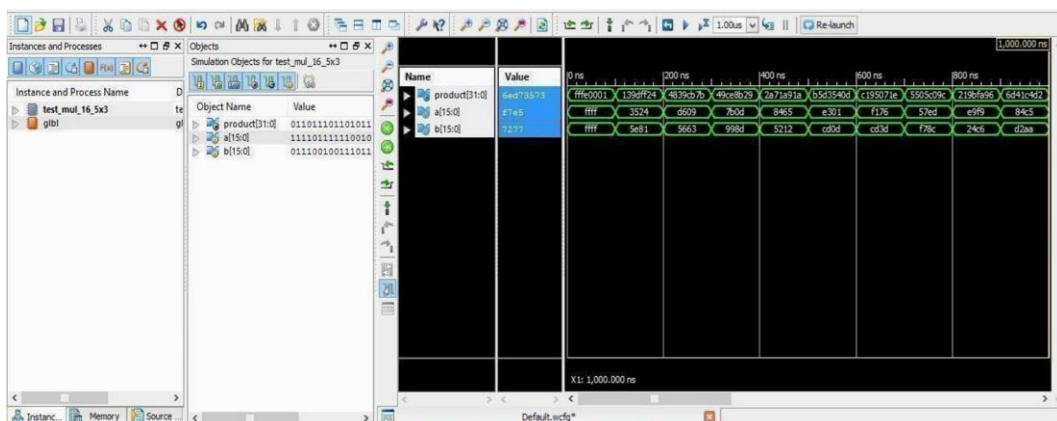


Figure. Simulation result of the Proposed 16-bit multiplier using 5-3 compressor

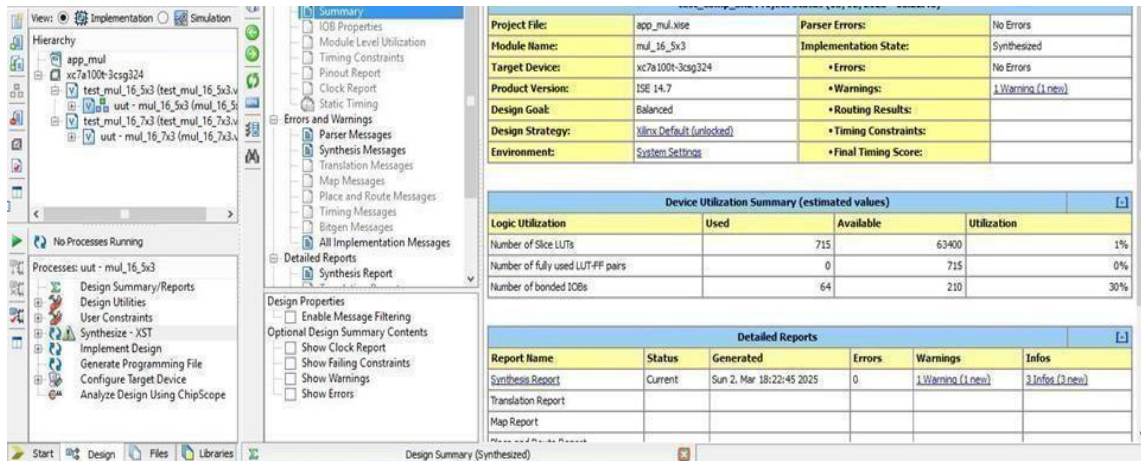
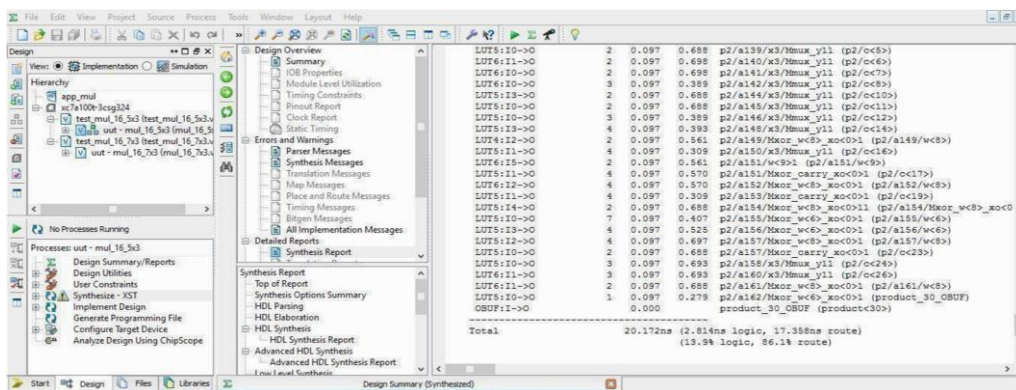


Figure: Summary report of the Proposed 16-bit multiplier using 5-3 compressor



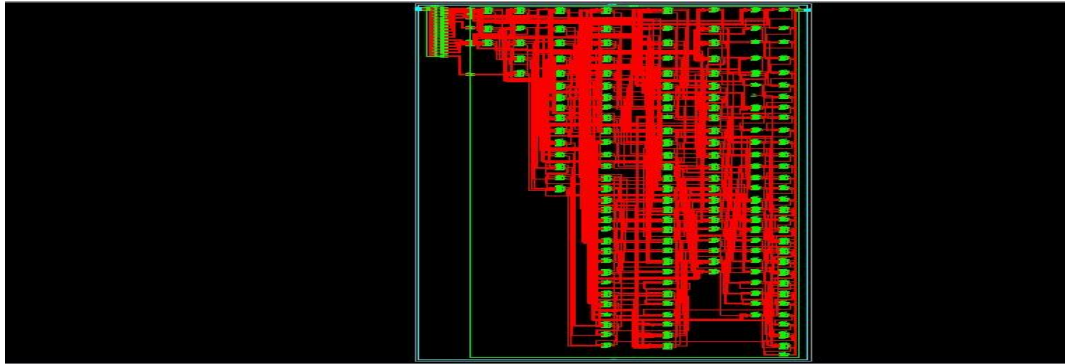


Figure: RTL schematic of the 16-bit multiplier using 5-3 compressor

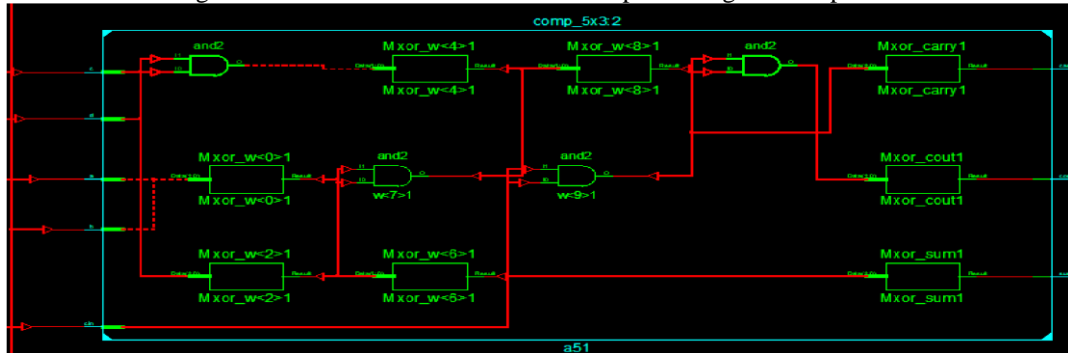


Figure: RTL schematic of the 16-bit multiplier using 5-3 compressor

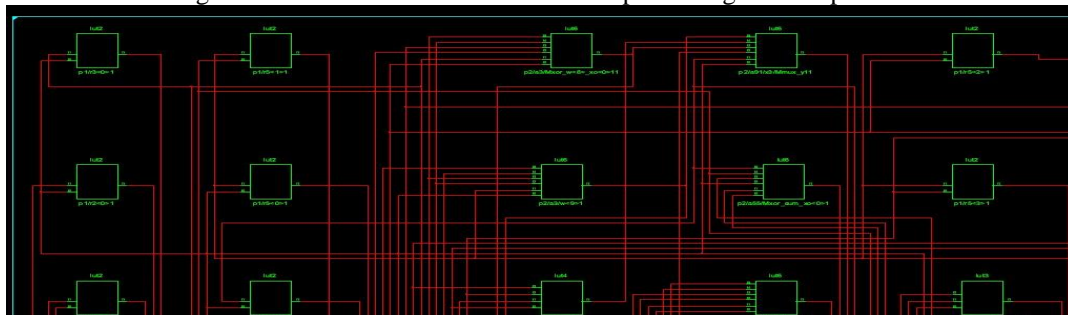


Figure: Technology schematic of the 16-bit multiplier using 5-3 compressor

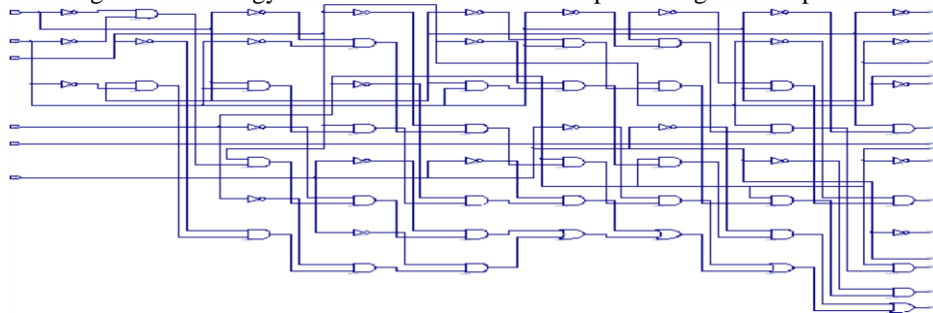


Figure: Internal Block Diagram of LUT6 of 16-bit multiplier using 5-3 compressor

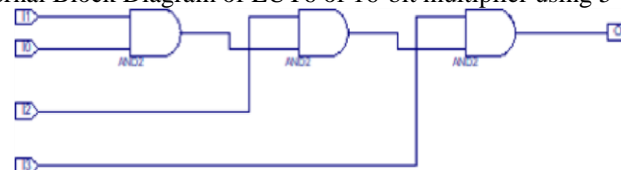


Figure: Internal Block Diagram of LUT4 of 16-bit multiplier using 5-3 compressor



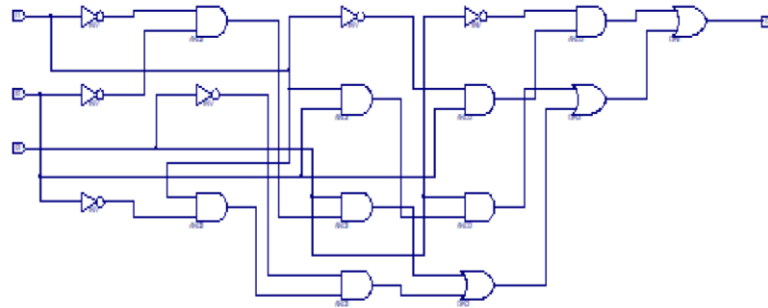


Figure: Internal Block Diagram of LUT3 of 16-bit multiplier using 5-3 compressor

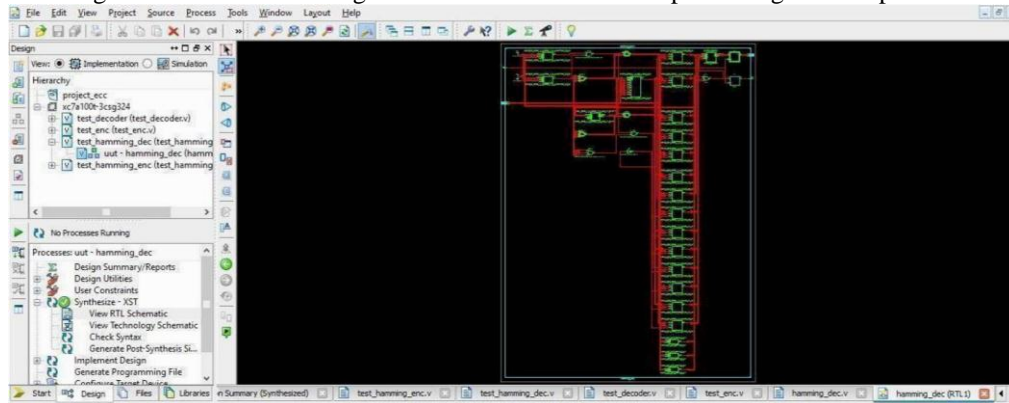


Figure: RTL schematic of the 16 bit multiplier 5-3 compressor

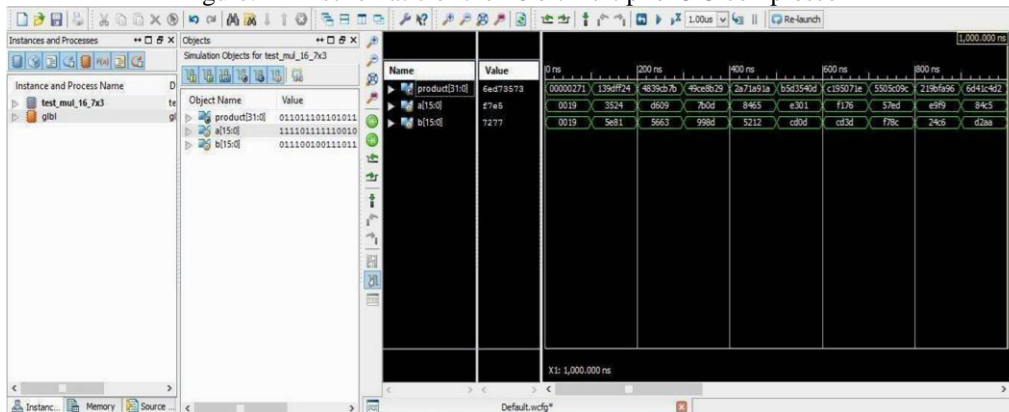


Figure: Simulation result of the proposed 16-bit multiplier using 7-3 compressor

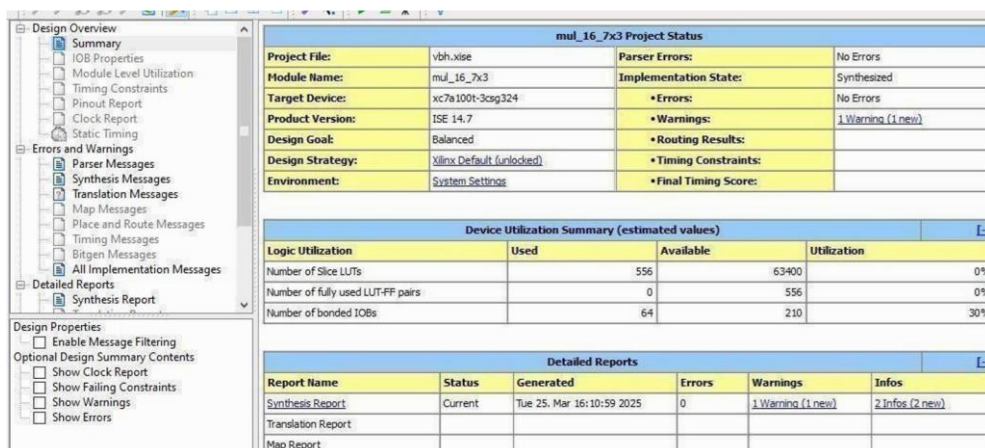


Figure: Summary report of the proposed 16-bit multiplier using 7-3 compressor

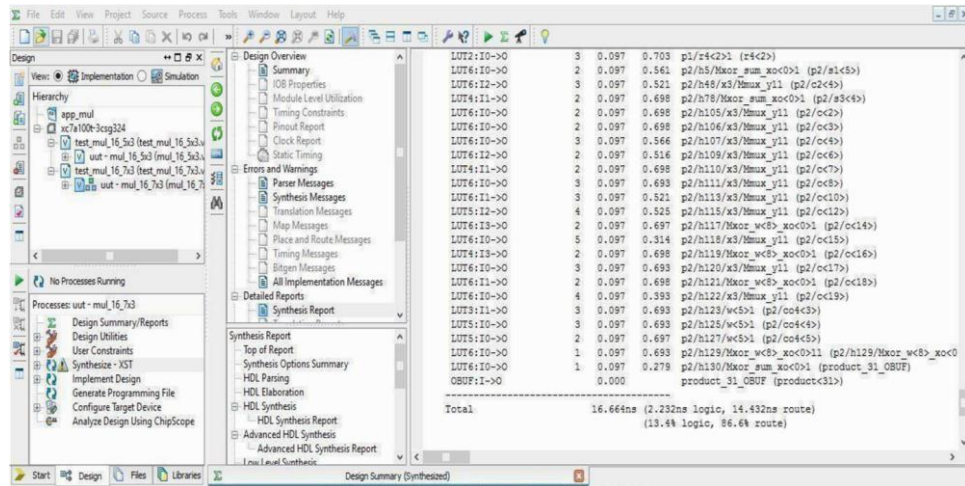


Figure. Delay report of the proposed 16-bit multiplier using 7-3 compressor



Figure. Block Diagram of 16-bit multiplier using 7-3 compressor

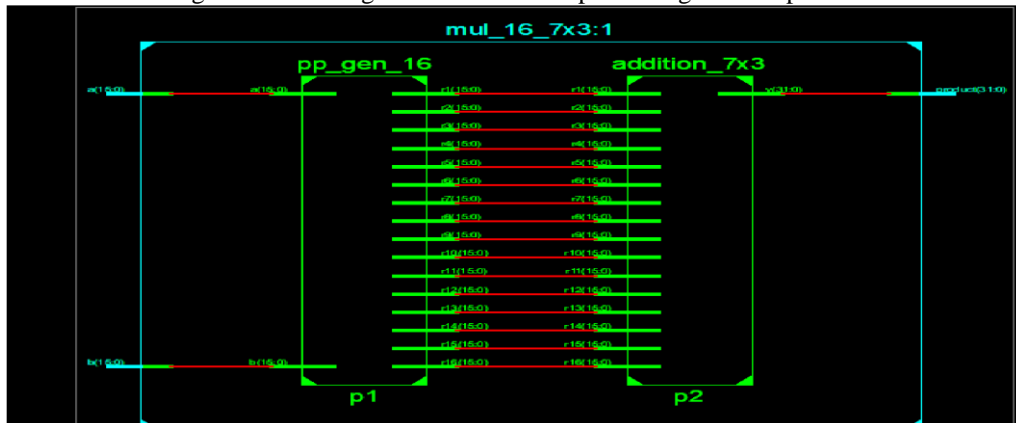


Figure: Internal Block Diagram of 16-bit multiplier using 7-3 compressor

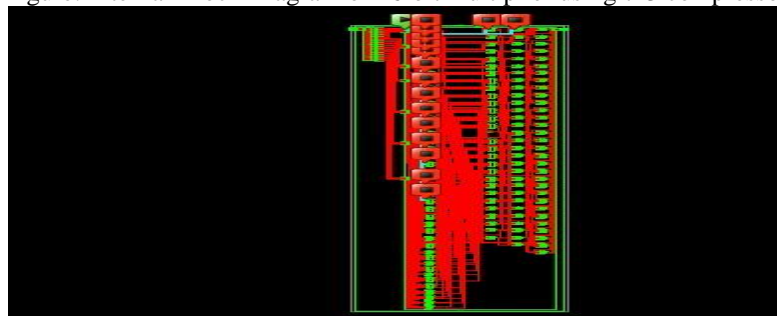


Figure: RTL schematic of the 16-bit multiplier using 7-3 compressor

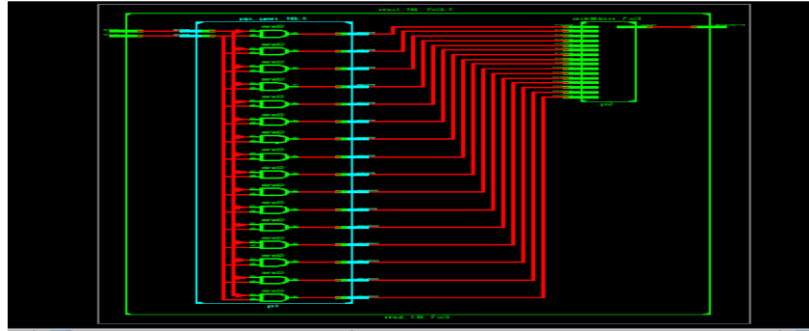


Figure: Internal View RTL schematic of the 16-bit multiplier using 7-3 compressor

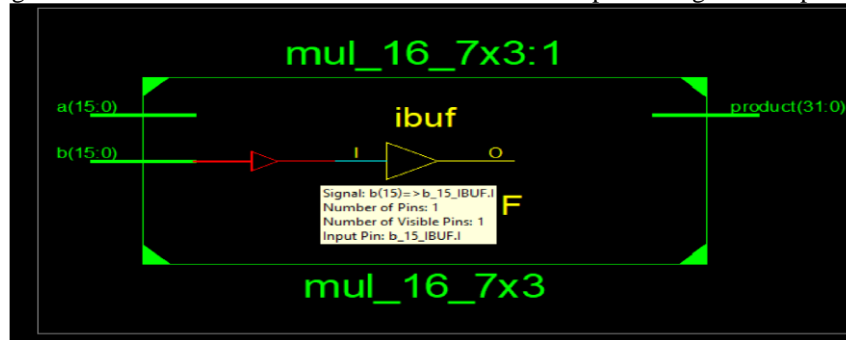
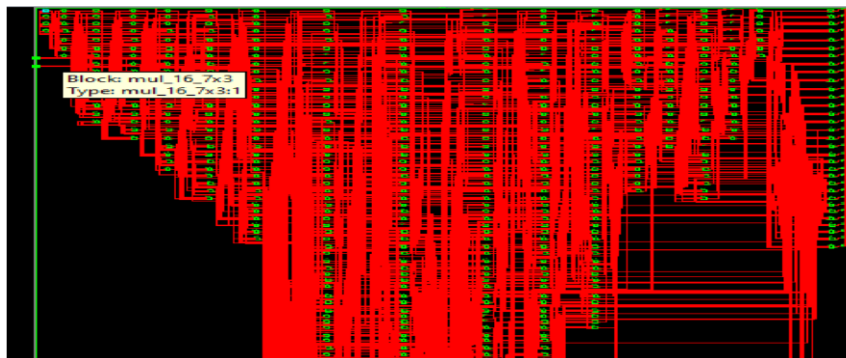


Figure: Technology schematic of 16 bit multiplier 7-3 compressor



## V. CONCLUSION

In this paper, The proposed energy-efficient approximate multiplier effectively balances accuracy, area, and power-delay-product (PDP) requirements, making it suitable for error- resilient applications. By using 7:3 compressors, along with Wallace Tree Multiplier, the design demonstrates significant improvements in efficiency. The -higher order compressors reduce the circuit area and power consumption while maintaining a low error rate. The elimination of a resource-intensive error recovery module further enhances system performance. This innovative approach provides a viable alternative to conventional multipliers, especially in applications where slight errors are acceptable in exchange for improved resource efficiency.

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