

Analysis Casting Simulation and Its Importance

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Abstract: Casting as a manufacturing process to make complex shapes of different materials in mass production may experience many different defects such as shrinkage porosity, sink, cavity and incomplete filling. For new castings or the castings having very high rejection rates, modification of feeding system design is of prime importance. A well designed feeding system is very important to ensure the better quality of castings. Design of feeding system also involves the decision about correct location of risers and number of risers to be used. Generally, gating system controls the velocity of molten metal that affects turbulence and flowability of casting. Solidification of metals stands as marvel of ultimate significance for metallurgists, casting engineers and physicist which hampers the quality of castings, material yield and cycle time. Casting defects are decreased through casting simulation software and an intellectual feeding technique.

AUTO Cast (Demo) is casting simulation software which can simulate thermal changes and heat transfer in the solidification process of a casting. It assists the user to visualize the solidification process of a particular casting. The simulation software offers functions to help guide a user in producing gating and riser designs and also have functions which produce visual outputs showing possible problem areas and defects which may occur in a casting. It can help shorten the lead time and reduce the loss in the trial casting stage. Having demo version of AUTO Cast we have limited by designed gating system for cube. In present paper, an attempt is made to design the gating system with calculations and simulate solidification processes of the casting with the ANSYS.

Keywords—Runner, Riser, Sprue, Sprue base, Gating System, Simulation

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I. INTRODUCTION

Sand casting consists of placing a pattern (having the shape of the desired casting) in sand to make an imprint, incorporating a gating system, filling the resulting cavity with molten metal, allowing the metal to cool until it solidifies. Sand casting is still the most popular form of casting.

SAND CASTING PROCESS DESIGN

The typical sand casting process design consists of the following steps.

- 1) Sand Selection
- 2).Parting line
- 3).Pattern design
- 4).Core design
- 5).Gating/riser system design

CASTING SIMULATION SOFTWARE

Usefulness:

Defects and problems can be discovered before the actual casting is cast avoiding costly tests to prevent the problems

Limitations

Casting simulation software cannot predict all types of defects that may occur in a casting, such as processing defects, human error, and additional chemical elements added to the molten metal, etc.

ANSYS

Solidification and cooling of a classically casting and the simultaneous heating of the mold is, from the viewpoint of thermo kinetics, a case of two dimensional (2D) transient heat and mass transfer in a system comprising the casting, mold and ambient. If mass transfer is neglected and – from the three basic types of heat transfer – conduction is considered as the decisive, then the problem can be reduced to the solving of the Fourier

equation. Here, the used 2D model of the temperature field of the system is based on the numerical finite-element method.

II. MODELING AND SIMULATION

Dimension of Pattern

Area of the outer rim:

$$\text{Outer diameter} \quad A1 = \frac{\pi d^2}{4} = \frac{\pi 4^2}{4} = 12.56 \text{ cm}^2$$

$$\text{Inner diameter} \quad A2 = \frac{\pi d^2}{4} = \frac{\pi 3^2}{4} = 7.0685 \text{ cm}^2$$

$$\text{Total area of rim} \quad A = A1 - A2 = 5.4975 \text{ cm}^2$$

$$\text{Volume of rim:} \quad V1 = A * h = 5.4975 * 6 = 32.985 \text{ cm}^3$$

Area of the inner rim:

$$\text{Outer diameter} \quad A3 = \frac{\pi d^2}{4} = \frac{\pi 3^2}{4} = 7.0685 \text{ cm}^2$$

$$\text{Inner diameter} \quad A4 = \frac{\pi d^2}{4} = \frac{\pi 1^2}{4} = 0.7853 \text{ cm}^2$$

$$\text{Total area of inner rim} \quad A = A3 - A4 = 6.2831 \text{ cm}^2$$

$$\text{Volume of inner rim} \quad V2 = A * h = 6.2831 * 3 = 18.8493 \text{ cm}^3$$

$$\text{Total volume of rim} \quad V = V1 + V2 = 32.985 + 18.8493 = 51.8433 \text{ cm}^3$$

Shrinkage of the Aluminum is added to casting

For aluminum, solidification shrinkage = 6.6%, solid contraction during cooling = 5.6%.

$$\text{Total volumetric contraction} = (1 - 0.066)(1 - 0.056) = 0.8817$$

$$\text{Linear contraction} = (0.8817)^{0.333} = 0.9589$$

Final casting dimensions

$$\text{Oversize factor for mold} = (0.9589)^{-1} = 1.0428$$

$$\text{Mold cavity dimensions: } D = 4.00(1.0428) = 4.1714 \text{ cm}$$

$$\text{Thickness } t = 3(1.0428) = 3.128 \text{ cm}$$

Core Design & Core Buoyancy Force:

Core volume & weight:

$$\rho_{\text{core}} = 1600 \text{ kg/m}^3$$

$$\text{Self-weight of large hole, } WB1 = \pi d^2 * l * \rho_{\text{core}} * 9.81 / 4 = \pi * 3^2 * 1.5 * 1600 * (10^{-6}) * 9.81 / 4 = 1.6642 \text{ N}$$

$$\text{Self-weight of small hole, } WB2 = \pi d^2 * l * \rho_{\text{core}} * 9.81 / 4 = \pi * 1^2 * 3 * 1600 * (10^{-6}) * 9.81 / 4 = 0.3698 \text{ N}$$

$$\begin{aligned} \text{Total self-weight of core, } WB &= WB1 + WB2 \\ &= 2 * 1.6642 + 0.3698 \\ &= 3.6982 \text{ N} \end{aligned}$$

$$\begin{aligned} \text{The buoyancy force } B \text{ on the core } B &= \pi d^2 * l * \rho_{\text{metal}} / 4 \\ &= \pi (2 * 3^2 * 1.5 + 1^2 * 3) * 2700 * 9.81 * (10^{-6}) / 4 \\ &= 0.624085 \text{ N} \end{aligned}$$

$$\begin{aligned} \text{The net force on the core (upward)} &= B - W \\ &= 0.254265 \text{ N} \end{aligned}$$

Mold size:

$$\text{Volume of casting} = 51.8433 \text{ cm}^3$$

$$60\% \text{ of yield} = 51.8433 / 6 = 8.64055 \text{ cm}^3$$

$$\begin{aligned} \text{Weight of metal poured per mold} &= 60\% \text{ of yield} * \text{Density of Aluminum} \\ &= 0.2332 \text{ kg} \end{aligned}$$

Properties of Aluminum

Pouring Temperature (Tp)	Solidus Temperature (Ts)	Interface Temperature	Specific Heat (C)	Latent Heat J/ kg	Density (ρ) Kg/m ³
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oC	oC	(Tint) oC	J kg-1 oC-1		
730	590	531	910	397*10 ³	2700

Table 3.1 Properties of Aluminum

Solidification time: (Assume $T_{int} = 0.9 \times T_s$) $T_{int} = 0.9 \times 590 = 531$

Properties of Sand

Thermal Conductivity (K) W/m/k	Specific Heat (C) J kg-1 oC-1	Density (ρ) Kg/m ³
0.61	1130	1600

Table 3.2 Properties of sand

Solidification Time

Type	Volume (cm ³)	Surface area (cm ²)	Modulus (V/A)
A	32.985	18.85	1.749
B	18.843	18.849	0.9996

Table 3.3 Modulus ratio

$$\sqrt{\tau_s} = \frac{\rho_{cast} [L + C_{cast}(T_{pour} - T_{sol})]}{1.128 \sqrt{K_{mold} \times \rho_{mold} \times C_{mold} \times (T_{int} - T_{amb})}} \times \left(\frac{V}{A}\right)$$

$$\begin{aligned} \tau_s &= 1814.76 \text{ sec} \\ &= 30.24 \text{ min} \\ &= 0.504 \text{ hr} \end{aligned}$$

Riser Design

Heat transfer criteria

MC: MN: MF = 1: 1.1: 1.2

Where MF, MC and MN are modulus of feeder, modulus of casting, and modulus of the neck of feeder at the junction of casting respectively.

Let Df = Diameter of feeder

Hf = Height of feeder

Assume Hf/Df = 1.5

$$\begin{aligned} \text{Modulus of feeder} &= 1.2 \times \text{modulus of region around hot tear} \\ &= 1.2 \times 1.75 \\ &= 2.1 \end{aligned}$$

$$\begin{aligned} \text{Volume of feeder} &= \pi D_f^2 H_f / 4 + \pi D_f^3 / 12 \\ &= 1.75 \times \pi D_f^3 / 12 \end{aligned}$$

$$\begin{aligned} \text{Surface area of feeder} &= \pi D_f^2 H_f / 4 + \pi D_f^2 \\ &= 0.375 \times \pi D_f^3 \end{aligned}$$

$$\begin{aligned} \text{Modulus (V/A)} &= 0.214 \times D_f \\ \text{i.e. } 2.1 &= 0.214 \times D_f \\ D_f &= 0.9813 \text{ cm} \\ H_f &= 1.472 \text{ cm} \end{aligned}$$

$$\text{Volume of hot spot region} = 33 \text{ cm}^3$$

Modified surface area of last freezing region

$$\begin{aligned} &= \text{surface area of hot spot} - \text{area of feeder bottom} \\ &= 4.744 \text{ cm}^2 \end{aligned}$$

$$\begin{aligned} \text{Modified last freezing region} &= 5.5 / 4.744 \\ &= 1.159 \end{aligned}$$

$$\begin{aligned} \text{Modified modulus of feeder} &= 1.2 \times 1.159 = 1.3908 = 0.214 \times D_f \\ D_f &= 6.49 \text{ cm} \\ H_f &= 9.74 \text{ cm} \end{aligned}$$

$$\text{Modulus of neck, Mn} = 1.1 \times 1.159 = 1.275$$

$$\text{Neck height} = 1 \text{ cm}$$

$$\text{Neck diameter} = D_n$$

$$\text{Volume of neck} = \pi D_n^2 H_n / 4$$

$$\text{Surface area} = \pi D_n H_n$$

$$\begin{aligned} \text{Modulus, } M_n &= D_n/4 = 1.275 \\ \text{Neck diameter, } D_n &= 5.1 \end{aligned}$$

Feeder Yield and Efficiency

The riser efficiency depends on the feeder shape, type (open or blind) and application feed-aids, such as insulators or exothermic sleeves. It has to be considered because the riser itself is also solidifying as it is feeding liquid metal to the casting. For an open riser with a height per diameter ratio of 1.5, the efficiency is around 14 percent. It can be increased to about 50 percent if insulated with sleeves or exothermic sleeves.

$$\begin{aligned} \text{Vol of casting, } V_c &= 51.84 \text{ cm}^3 \\ \text{Vol of feeder, } V_f &= \pi D_f^2 H_f / 4 + \pi D_n^2 H_n / 4 \\ &= 34.263 \text{ cm}^3 \\ \text{Feeder Yield} &= V_c / (V_c + V_f) \\ &= 60.21 \% \\ \text{Shrinkage allowance, } \alpha &= 3.16\% = 0.0316 \\ \text{Feeder Efficiency} &= \alpha * (V_c + V_f) / V_f \\ &= 7.94\% \\ \text{Modulus of feeder insulated sleeve with modulus extension factor} &= 1.4 \\ \text{Modulus of insulated feeder} &= 1.2 * 1.159 / 1.4 \\ &= 0.9943 \\ \text{Modulus of feeder, } M_f &= 0.214 * D_f \\ \text{Diameter of feeder, } D_f &= 4.64 \text{ cm} \\ \text{Height of feeder, } H_f &= 6.96 \text{ cm} \end{aligned}$$

Optimal Filling Time

A casting that fills too slow can have discontinuities such as cold shuts and misruns. Too fast filling can lead to solid and gaseous inclusions.

A generalized equation for filling time can be written as:

$$T_f = K_0 (K_f * L_f / 1000) (K_s + K_t t / 20) (K_w W)^p$$

There are five coefficients: K_0 is an overall coefficient, and K_f , K_s , K_t , K_w are the coefficients for fluidity, size, thickness and weight, respectively. For Aluminum the following values may be used: $K_0 = 1.0$, $K_f = 1.0$, $K_s = 1.1$ (for castings of size 100-1000mm), $K_t = 1.4$ (for wall thickness up to 10 mm), $K_w = 1$ and $P = 0.4$, $L_f = 300$ mm.

$$\begin{aligned} \text{Total Weight of the casting, } W &= (\text{Wt of casting} + \text{Wt of feeder}) / 0.9 \\ &= 0.2583 \text{ Kg} \end{aligned}$$

$$T_f = 7.893 \text{ sec}$$

Gating System

The main objective of a gating system is to lead clean molten metal poured from ladle to the casting cavity, ensuring smooth, uniform and complete filling.

Sprue

It is circular in cross section. It leads the molten metal from the pouring basin to the sprue well. Assuming Characteristic Loss Coefficient = $C_f = 0.8$

$$\text{Inlet velocity (at parting plane), } V_s = C_f * \sqrt{2 * g * H}$$

$$H = \text{Mold height} + \text{Pouring height}$$

$$= 14 + 6 = 20 \text{ cm}$$

$$V_s = 1.584 \text{ m/sec}$$

Gating ratio

It is given by $A_s : A_r : A_g$ where A_s , A_r , A_g are the cross-sectional areas of sprue exit, runner(s) and ingate(s). If multiple runners and ingates are present, the total area (of all runners, or all ingates, respectively) must be considered. A converging diverging system, where the ingate area is more than the sprue exit area, is to be preferred. This ensures that the metal slows down (thereby reducing turbulence-related problems). Examples of such gating ratios include: 1:2:1.5 for ferrous and 1:4:4 for nonferrous metals. Higher values of ingate area may be used (such as 1:4:8) to further reduce the velocity of molten metal through the ingates to within the recommended range, as long as flow separation (and thereby air aspiration) is avoided.

Law of Continuity

The law of continuity states that the flow rate must be the same at a given time in all portions of a fluid system. It may be written as:-

$$Q = A_1 V_1 = A_2 V_2$$

Where Q = metal flow rate in m³/sec

A₁ & A₂ = cross-sectional area of flow channel at two different points 1 & 2 in sq.cm

V₁ & V₂ = metal velocity at points 1 & 2 in m/sec.

$$A_s : A_r : A_g = 1:2:1.5$$

$$A_s V_s = A_g V_g$$

$$\begin{aligned} \text{Velocity at ingate, } V_g &= 1.584/1.5 \\ &= 1.056 \text{ m/sec} \end{aligned}$$

Choke Area and Velocity

The choke is the smallest cross-section in the gating system that controls the flow rate of molten metal. The element (sprue exit, runners or ingates) with the smallest value in the gating ratio is considered the choke.

The choke area A_c is given by:

$$A_c = W / (\rho_c \tau_f V_c)$$

Where, W is the total casting weight (including feeders and gating channels), ρ_c is the metal density, τ_f is the total filling time and V_c is the choke velocity.

$$A_c = 1.088 \text{ cm}^2$$

The choke velocity is given by

$$V_c = V_p + c_f \sqrt{2gH}$$

$$V_c = 1.584 \text{ cm/sec}$$

Where H is the metallostatic pressure head, given by the vertical distance between the liquid level in pouring cup and the centerline of the choke. The value of pouring velocity V_p is non-zero, if poured from a height or if bottom pouring ladles are used. The friction factor c_f within the gating system depends on its geometry and surface finish, and ranges between 0.6-0.9.

Gating Design-Sprue

Sprue top area, A_{ST} :

$$A_{ST} = (A_{SE} \times V_{choke}) / V_{sprue \text{ top}}$$

$$A_{ST} = 1.884 \text{ cm}^2$$

Sprue top diameter, D_{ST} :

$$A_{ST} = (\pi/4) \times (D_{ST})^2$$

$$D_{ST} = 15.5 \text{ mm}$$

Sprue exit diameter, D_{SE} :

$$A_{SE} = (\pi/4) \times (D_{SE})^2$$

$$D_{SE} = 11.77 \text{ mm}$$

Runner

The main function of the runner is to slow down the molten metal, which speeds up during its free fall through the sprue, and take it to all the ingates. Runner Design

Assume Runner having width/depth = 1.5,

$$\text{Runner area (AR)} = 2.176 \text{ cm}^2$$

$$\text{Runner Width} = 12.04 \text{ mm}$$

$$\text{Runner Height} = 18.06 \text{ mm}$$

Ingate

The ingate leads the molten metal from the gating system to the mould cavity

Assume gate having width/depth = 2,

$$\text{Gate area (AG)} = 1.632 \text{ cm}^2$$

$$\text{Gate Depth} = 18.06 \text{ mm}$$

$$\text{Gate Width} = 9.03 \text{ mm}$$

SIMULATION

Preprocessing

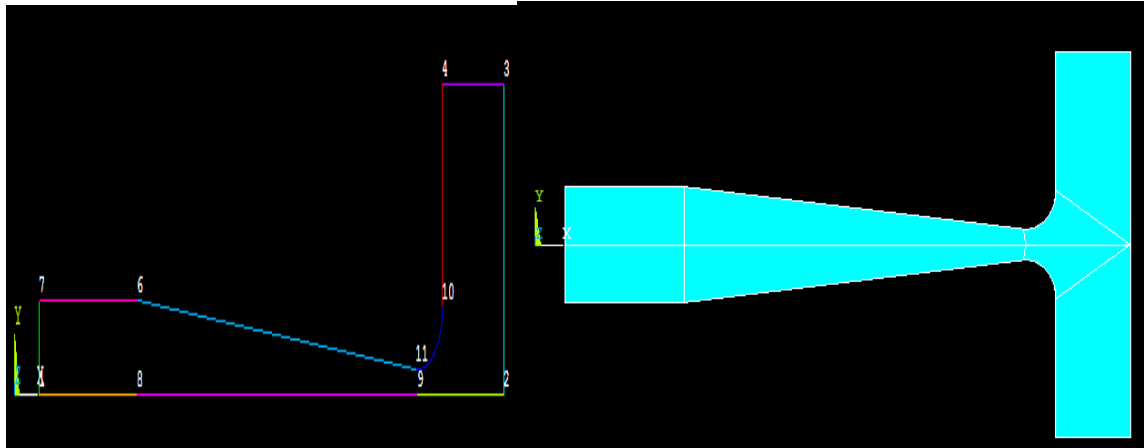
The preprocessing process contains the following commands to create a finite element model. They are as follows

1. Defining Element and Options
2. Defining Element Real constants

3. Defining Material Properties
4. Creating Model Geometries
5. Defining Meshing controls
6. Applying Boundary Conditions, loads

Model

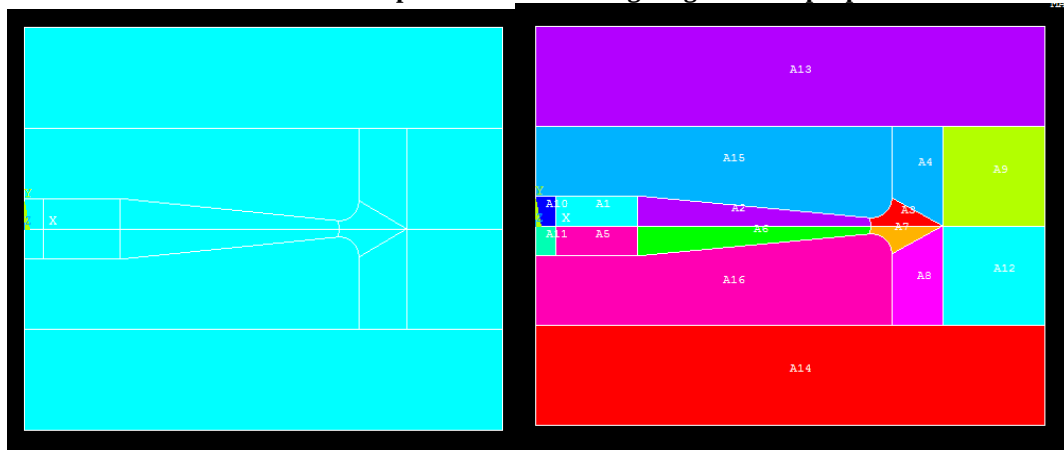
Once the model has been created and subjected to various boundary conditions ANSYS solves the set of equations generated by Finite Element Model.



2D model of casting part

Defining Element and Options

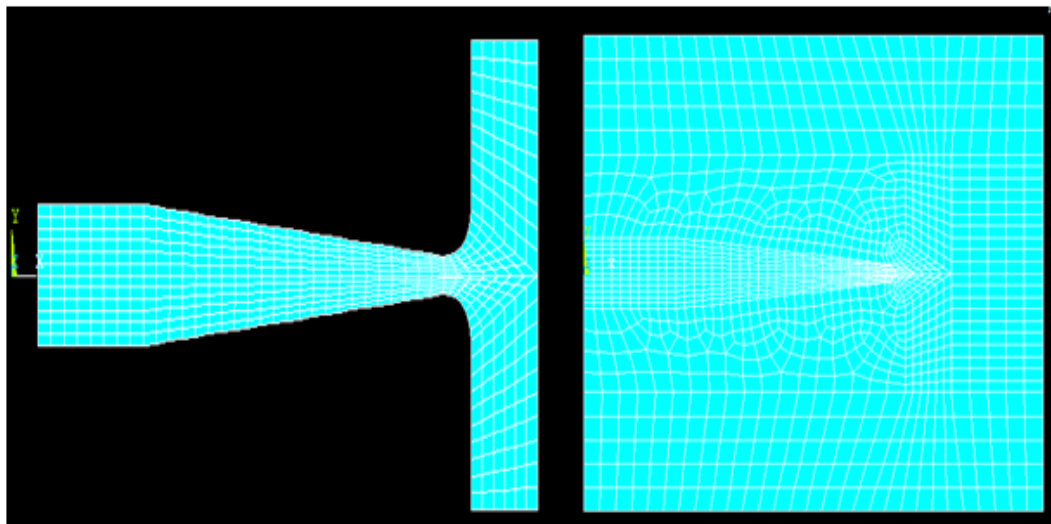
Solid 55 2D model of part and mold after giving material properties



Defining Material Properties

	Units	Sand	Al
Thermal Conduct.	(K) Wm-1 oC-1	0.346	94 (liq) 238 (solid)
Density	P g cm-3 (mg cm-3 oC-1)	2.32(bulk) 1.520 (Mold)	2.385 (liq) 2.7 (solid)
Specific Heat	(C) J kg-1 oC-1	1816	1050 (liquid) 896 (solid)
Heat of Fusion	(HF) J kg-1		395440
Melt Temp	(Tm) oC		696

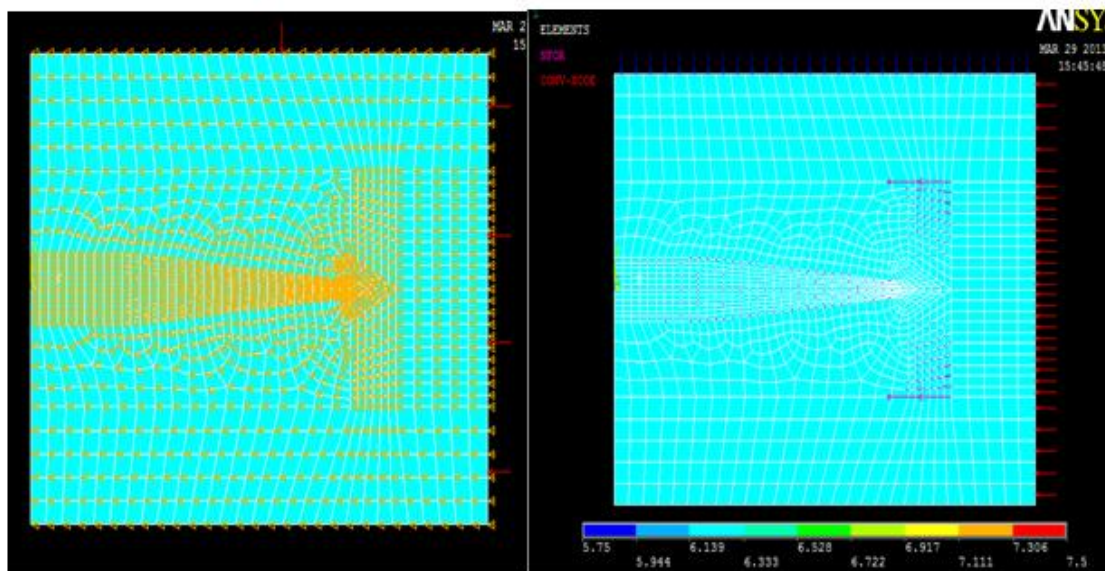
Expansion Coeff.	(α) 10-6* oC-1	22.2	23.9
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Meshing of casting part

Meshing of casting part with mold

Applying Boundary Conditions, loads

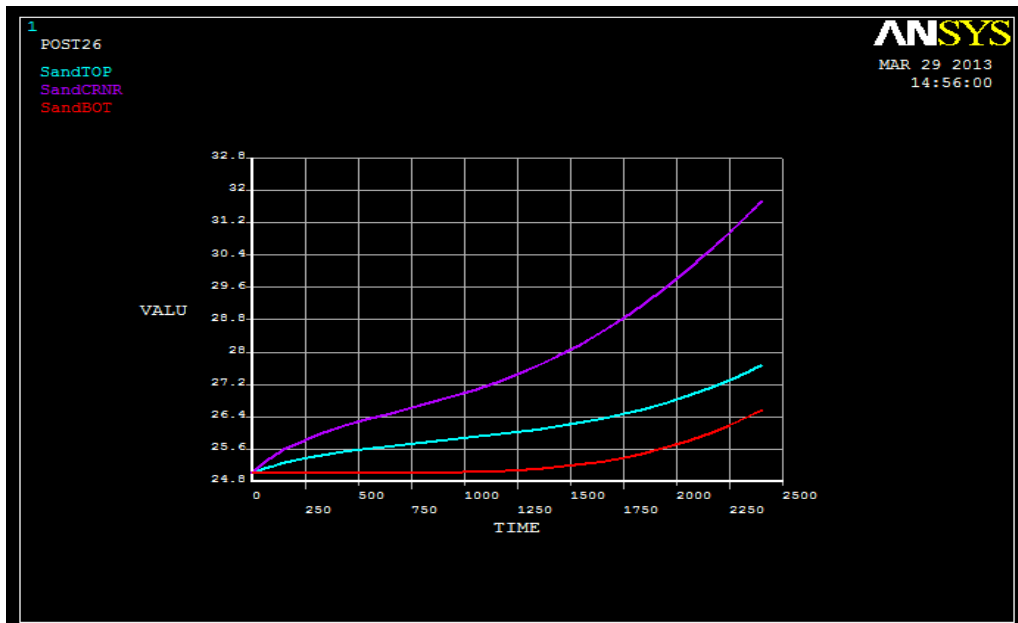


Applying conduction load

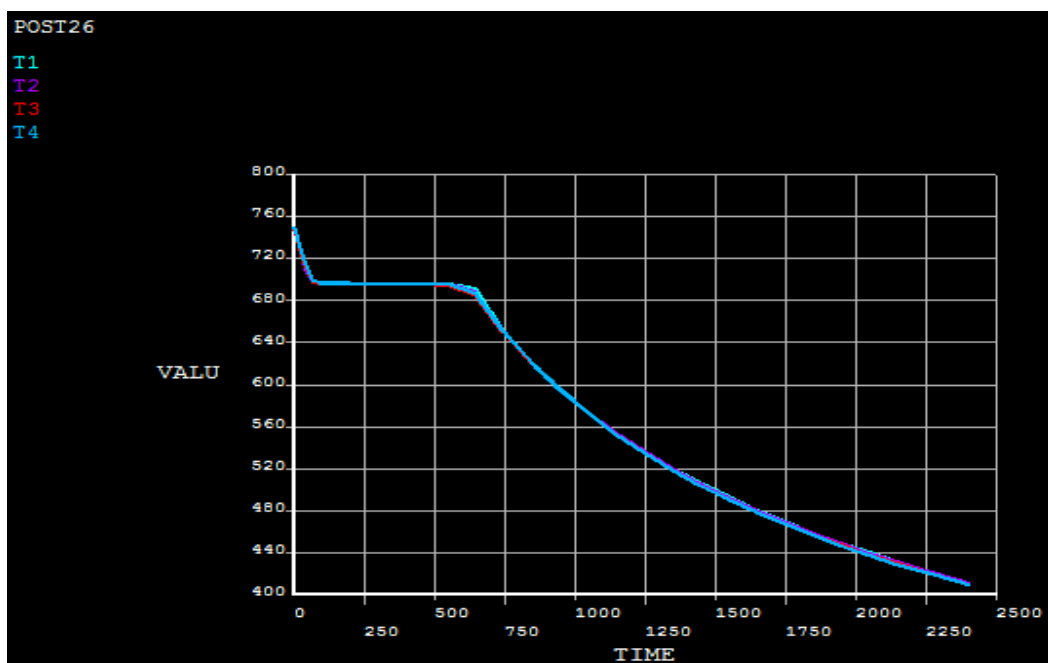
applying convection load

III. ANSYS RESULTS

In this study, an analysis of heat transfer for the casting process in two dimensions was made for the nonlinear case. The idea was to determine the distribution of temperature, heat flux, thermal gradient, cooling curves in the cast metal, and heating or/and cooling in the molds during casting process of pure Aluminum ingots in sand and mold during 0.543 hours of solidification. The phenomenon of convection that occurs between the mold and the environment was included in this study. In this case, the properties of the mold materials were considered as constant. However, enthalpy and thermo-physical property of pure Aluminum was considered as a function of the temperature. The effect of radiation was ignored here. Temperature distribution during solidification of casting to sand top, center and bottom w.r.t time



Temperature distribution during solidification of casting to sand top, center and bottom w.r.t time

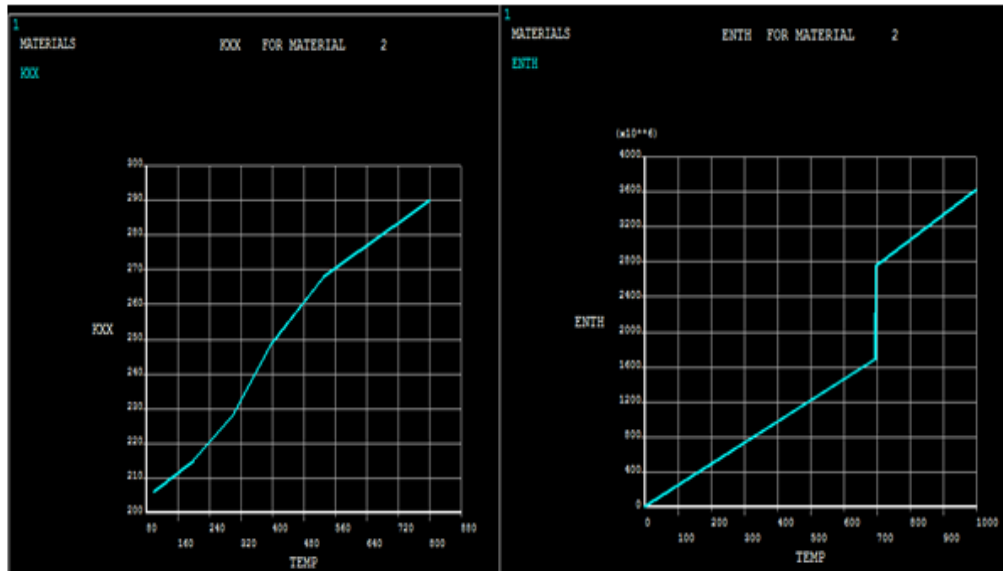


Heat loss from flywheel casting to surroundings w.r.t time

Plotting graph of Thermal conductivity versus Temperature of Aluminum

Temperature (°C)	0	100	200	300	400	530	800
Thermal conductivity (W/m-°C)	206	208	215	228	249	268	290

Table 3.8: Thermal conductivity of Al



Thermal conductivity Vs Temperature

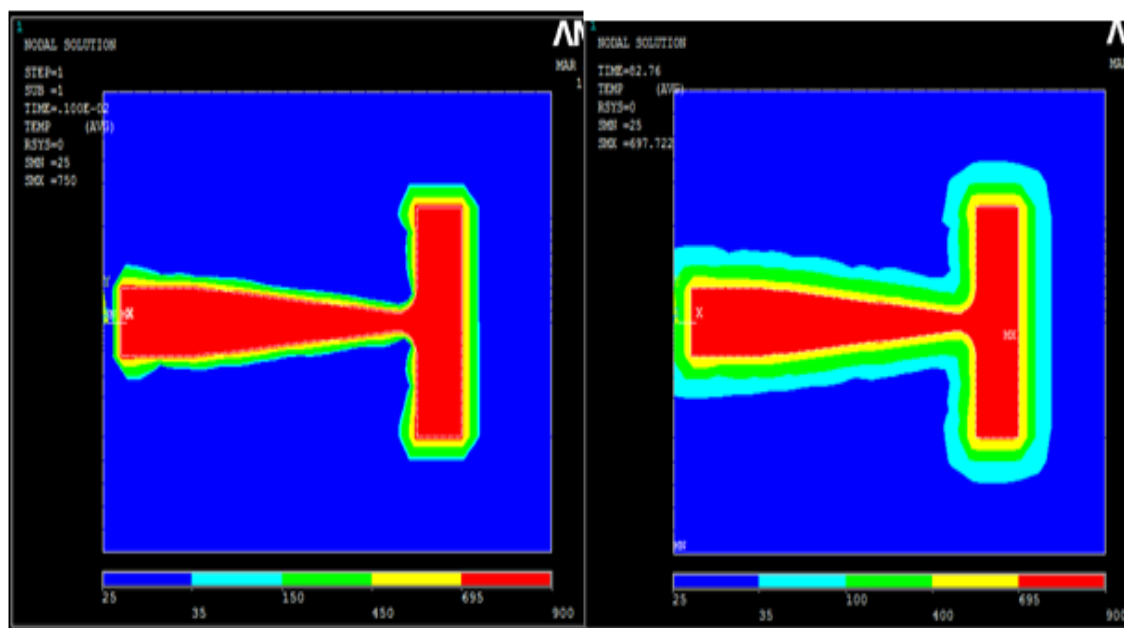
Enthalpy's Temperature

Plotting graph of Enthalpy versus Temperature of Aluminum

	H0	Hs	Hl	H
Temperature (°C)	0	695	697	1000
Enthalpy (J/m ³)	0	1.6857E9	2 7614E9	3.6226E9

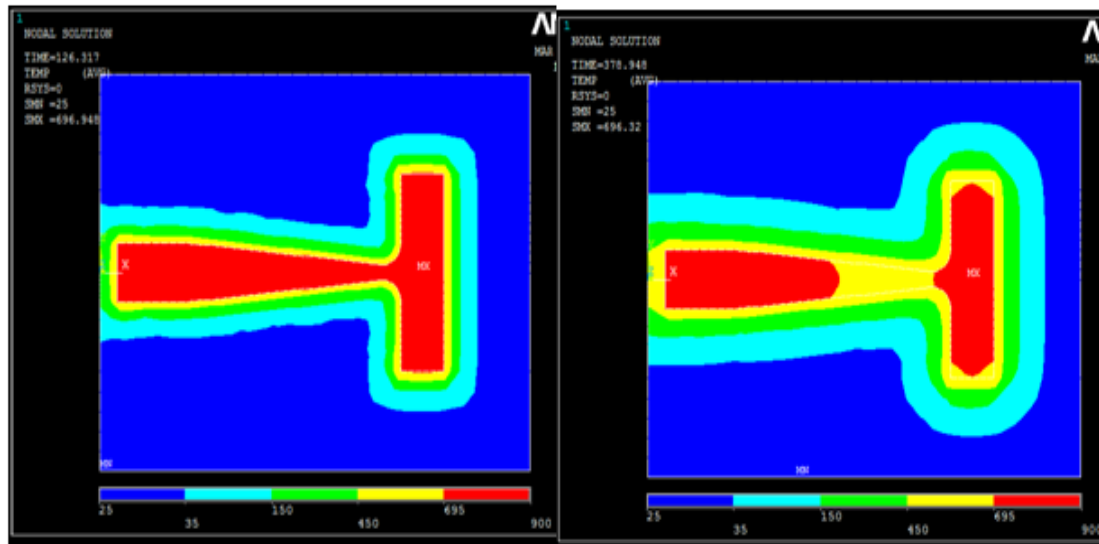
HEAT FLOW IN FLYWHEEL DURING SOLIDIFICATION

The results can be represented as contour plot with temperature distribution at any node, or as paths between temperature and the time at any node in the body as shown in Fig.



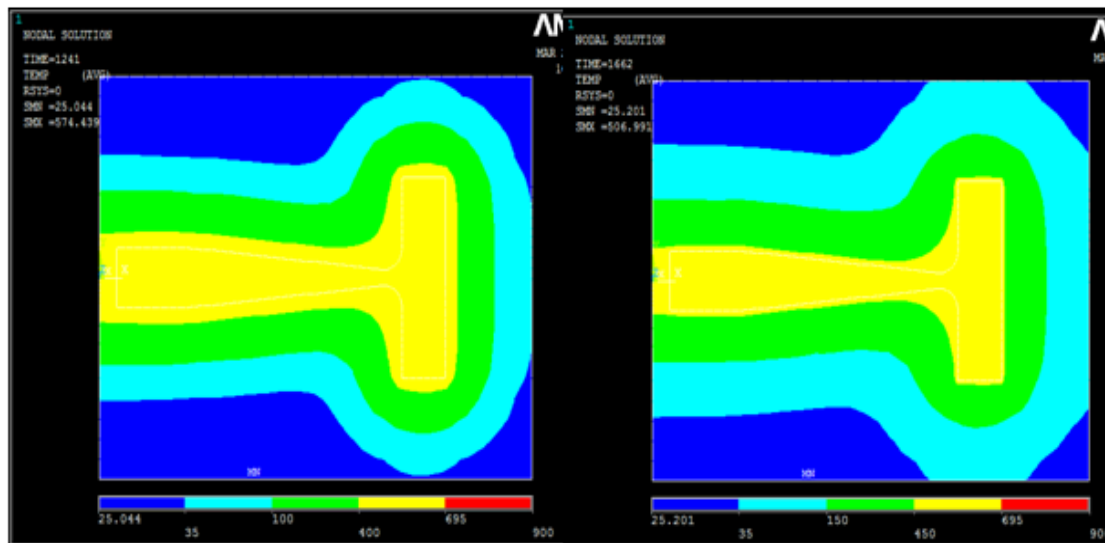
After 10 sec

after 82 sec



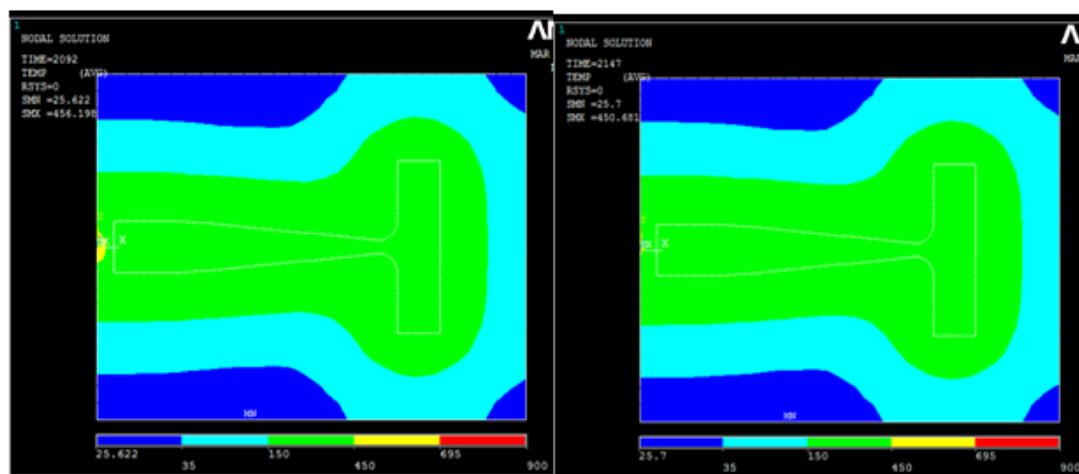
After 126 sec

after 378 sec



After 1241 sec

After 1662 sec



After 2092 sec

After 2147 sec

IV. CONCLUSION

The objectives of this paper are fulfilled

1) Design the mold, gating/riser system for the circular Aluminum casting process and simulate the solidification of cube by Auto-cast software (demo)

2) Temperature distribution is shown in ANSYS i.e during solidification process

Casting Simulation is very powerful tool which is used to predict the growth of the process without physically performing the process. Solidification simulation provides iterative means of designing or modifying the feeding system. This reduces the overall cost of developing the method for new casting by minimizing the time as well as labor involved in it. Large number of trials can be performed quickly on simulation software package and optimum result can be obtained which ultimately increases the profit margin of foundry. Simulation also adds confidence to the methods engineer about the functionality of feeding system design.

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